

<<流动非线性及其同伦分析>>

图书基本信息

书名：<<流动非线性及其同伦分析>>

13位ISBN编号：9787040354492

10位ISBN编号：7040354497

出版时间：2012-8

出版时间：高等教育出版社

作者：（美）瓦捷拉维鲁，（美）隔德 著

页数：190

字数：280000

版权说明：本站所提供下载的PDF图书仅提供预览和简介，请支持正版图书。

更多资源请访问：<http://www.tushu007.com>

<<流动非线性及其同伦分析>>

内容概要

科学工程中的很多问题是非线性的，难以解决。

传统的解析近似方法只对弱非线性问题有效，但无法很好地解决强非线性问题。

同伦分析方法是近20年发展起来的一种有效的求解强非线性问题的解析近似方法。

《流动非线性及其同伦分析：流体力学和传热（英文版）》介绍了同伦分析方法的最新理论进展，但不局限于方法的理论架构，也给出了大量的流体力学和传热中的非线性问题实例，来体现同伦分析方法的应用性。

《流动非线性及其同伦分析：流体力学和传热（英文版）》适合于物理、应用数学、非线性力学、金融和工程等领域对强非线性问题解析近似解感兴趣的科研人员和研究生。

<<流动非线性及其同伦分析>>

作者简介

作者：（美国）瓦捷拉维鲁（Kuppalapalle Vajravelu）（美国）隔德（Robert A. Van Gorder）瓦捷拉维鲁，为美国中佛罗里达大学数学系教授，机械、材料与航空和航天工程教授，Differential Equations and Nonlinear Mechanics的创刊主编。

隔德，任职于美国中佛罗里达大学。

<<流动非线性及其同伦分析>>

书籍目录

1 Introduction

References

2 Principles of Homotopy Analysis

2.1 Principles of homotopy and the homotopy analysis method

2.2 Construction of the deformation equations

2.3 Construction of the series solution

2.4 Conditions for the convergence of the series solutions

2.5 Existence and uniqueness of solutions obtained by

homotopyanalysis

2.6 Relations between the homotopy analysis method and other analytical methods

2.7 Homotopy analysis method for the Swift-Hohenberg equation

2.7.1 Application of the homotopy analysis method

2.7.2 Convergence of the series solution and discussion of

results

2.8 Incompressible viscous conducting fluid approaching a permeable stretching surface

2.8.1 Exact solutions for some special cases

2.8.2 The case of $G \neq 0$

2.8.3 The case of $G = 0$

2.8.4 Numerical solutions and discussion of the results

2.9 Hydromagnetic stagnation point flow of a second grade fluid over

a stretching sheet

2.9.1 Formulation of the mathematical problem

2.9.2 Exact solutions

2.9.3 Constructing analytical solutions via homotopy

analysis

References

.....

章节摘录

版权页：插图： Thus, while arbitrary functions $H(x)$ which vanish over portions of the relevant domain are not useful in the homotopy analysis method, one has the option to employ such functions provided they only vanish over a set of measure zero. One may look at this in another way. In the homotopy given in (3.22), we introduce the new auxiliary operator (3.23) which depends on $1/H(x)$. If we do the same here, we see that if $H(x)$ vanishes over a set of measure zero, then the auxiliary linear operator constructed via (3.23) will have singularities at all members of this set of measure zero. Such singularities greatly complicate the problem of solving the linear operator to obtain the terms $g_m(x)$ in the m th order deformation equations. In practice, these vanishing auxiliary functions will modify the particular solutions obtained when solving for the $g_m(x)$'s, which may complicate the recursive solution process. As such, it is usually best to avoid auxiliary functions $H(x)$ which vanish at any point over the domain of the problem, unless one has a good reason to use them. Yet, if we are to avoid all such $H(x)$ which vanish over any portion of the domain, we can just as well elect to solve the modified homotopy (3.22) using the modified auxiliary linear operator (3.23). This is why, in many cases, one simply takes $H(x) = 1$ and then attempts to obtain the appropriate initial guess and auxiliary linear operator. In those cases where a different, yet nonvanishing auxiliary function is used, one may simply modify the auxiliary linear operator to arrive at the same results (i.e., the same series solutions). However, one should point out that the solution expression is determined by the choice of auxiliary linear operator, L , the initial approximation and the function $H(x)$. When one does not know, a priori, the expression of solution, then one can simply choose $H(x) = 1$. However, we should point out that simple and elegant solutions may be obtained in many cases by properly choosing an appropriate functional form for $H(x) = 1$.

3.3 Selection of the convergence control parameter The convergence control parameter, $h \neq 0$, was introduced by Liao in order to control the manner of convergence in the series solutions obtained via homotopy analysis. As a consequence, once the initial approximation, auxiliary linear operator, and auxiliary function are selected, the homotopy analysis method still provides one with a family of solutions, dependent upon the convergence control parameter. Since we are free to select a member of this family as the approximate solution to a nonlinear equation, we find that the convergence region and the convergence rate of the series solutions obtained via the homotopy analysis method depend on the convergence control parameter. As a consequence, we are free to enhance the convergence region and the convergence rate of a series solution via an appropriate choice of the convergence control parameter h even for fixed choices of the initial approximation, auxiliary linear operator, and auxiliary function. Such a property makes the homotopy analysis method unique among analytical techniques and provides us with a very powerful tool to study nonlinear differential equations.

<<流动非线性及其同伦分析>>

编辑推荐

《流动非线性及其同伦分析:流体力学和传热(英文版)》适合于物理、应用数学、非线性力学、金融和工程等领域对强非线性问题解析近似解感兴趣的科研人员和研究生。

<<流动非线性及其同伦分析>>

版权说明

本站所提供下载的PDF图书仅提供预览和简介，请支持正版图书。

更多资源请访问:<http://www.tushu007.com>